

# Extension of the Collector Charge Description for Compact Bipolar Epilayer Models

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**Abstract**—In this paper, an extension to the collector charge description for compact bipolar epilayer models is presented. With this extension, monotonic  $f_T$  and Early-voltage behavior is ensured when transistor operation extends into the quasi-saturation region. The modification leads to a major improvement in the modeling of nonlinear distortion at high current levels and high frequencies.

## I. INTRODUCTION

**D**URING quasi-saturation (QS), when the internal base collector junction of a bipolar transistor becomes forward biased, the injection of minority charge carriers into the epilayer leads to the build up of a storage charge as well as to a substantial reduction of the epilayer resistance. This is described by Kull *et al.* [1], Jeong and Fossum [3], [4] and more completely by de Graaff and Kloosterman [7], [10] who included the influence of hot carriers and current spreading.

These improved epilayer models [1], [3], [7] are, however, particularly sensitive to their parameter values; slight deviations may produce erratic, nonmonotonic Early voltages and  $f_T(I_c)$  behavior (see Figs. 8 and 10). The epilayer model used here is that of the Mextram model (see [10], [11]), with the following parameters.

$V_{DC}$	Built-in voltage of the base-collector junction.
$I_{HC}$	Critical current density for hot carriers.
$R_{CV}$	Ohmic epilayer resistance.
$S_{CRCV}$	Space-charge limited epilayer resistance.
$S_{FH}$	Factor for the epilayer current spreading.

When hot-carrier behavior ( $I_{HC} \rightarrow \infty$ ) is omitted, the Mextram epilayer description reduces to the Kull model [11]. In practice, epilayer parameter sets, especially  $V_{DC}$ , are extracted so as to avoid the nonmonotonic behavior, but this results in improper modeling of nonlinear distortion [9] at high current levels. This paper explores the underlying causes of these problems and proposes an improved formulation for the collector charge model. To this end, the Mextram model [5], [7] has been modified by adding an extra charge  $\Delta Q_c$ , yielding a better modeling of signal distortion at high current levels and high frequencies and monotonicity in Early voltages and  $f_T$  fall-off characteristics. This modification can, in principle, also be applied to the models mentioned in [1], [3], and [4].

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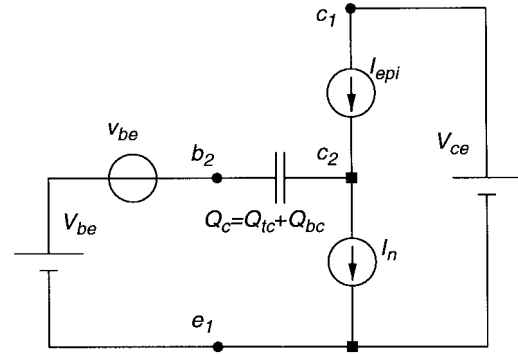


Fig. 1. Simplified circuit model of a bipolar transistor with a lightly-doped epilayer.

In order to make the problem more tractable and to help in finding a mathematical formulation for this extra charge  $\Delta Q_c$ , we consider the ac signal transfer of a bipolar transistor with a lightly-doped epilayer.

## II. ANALYSIS OF THE LOW-FREQUENCY SMALL-SIGNAL TRANSFER

At low frequencies and low driving conditions the distortion behavior of a device can be studied by investigating the derivatives of the ac transfer characteristics with respect to the base-emitter input voltage. This has been demonstrated in [9] and more extensively in [11]. The strongly simplified circuit of the bipolar epilayer transistor model used in this analysis is given in Fig. 1 (note that for these very low frequencies  $Q_c$  will have no effect and will be set to zero for this part of the analysis). The functions involved are now the main current  $I_n(V_{b2e1}, V_{b2c2})$  and the epilayer current  $I_{epi}(V_{b2c2}, V_{b2c1})$  with the following small-signal definitions:

$$i_n = g_x v_{b2e1} + g_y v_{b2c2} \quad (1)$$

$$i_{epi} = g_{epiy} v_{b2c2} + g_{epiz} v_{b2c1} \quad (2)$$

where

$$\begin{aligned} g_x &= \left. \frac{\delta I_n}{\delta V_{b2e1}} \right|_{V_{b2c2}} & g_y &= \left. \frac{\delta I_n}{\delta V_{b2c2}} \right|_{V_{b2e1}} \\ g_{epiy} &= \left. \frac{\delta I_{epi}}{\delta V_{b2c2}} \right|_{V_{b2c1}} & g_{epiz} &= \left. \frac{\delta I_{epi}}{\delta V_{b2c1}} \right|_{V_{b2c2}} \end{aligned} \quad (3)$$

AC short circuiting the output for the given network topology yields  $v_{b2c1} = v_{b2e1}$  and of  $i_n = i_{epi}$ . Using these conditions we can solve for the small-signal transconductance

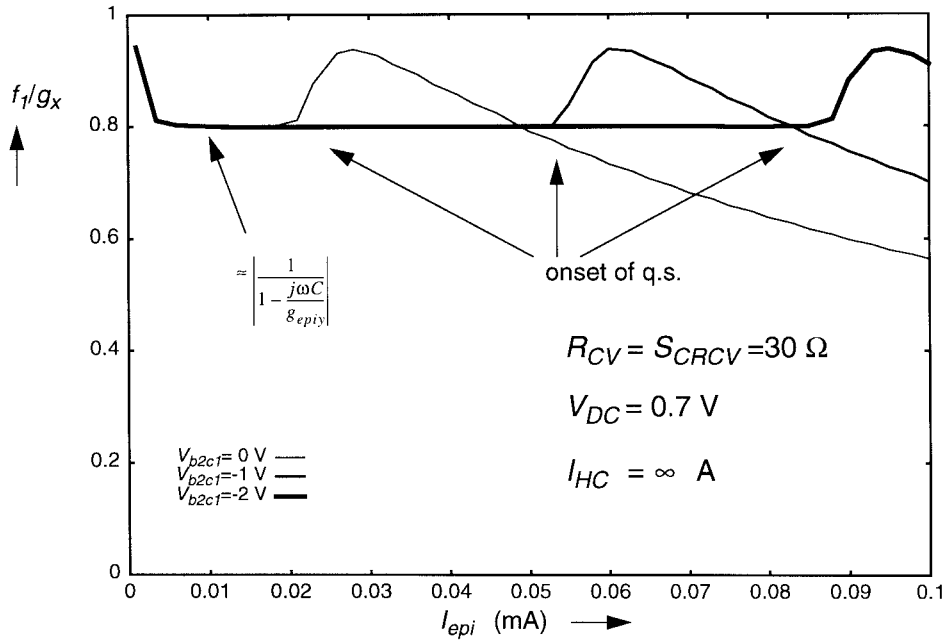


Fig. 2. Normalized transconductance ( $f_1/g_x$ ) as function of the dc current using the Mextram epilayer model with  $I_{HC} \rightarrow \infty$  so that  $S_{CRCV} = R_{CV}$ .

$i_{epi}/v_{b2e1}$ , leading to

$$\begin{aligned} \left. \frac{i_{epi}}{v_{b2e1}} \right|_{V_{c1e1}} &= g_x + g_y \left[ \frac{g_{epiz} - g_x}{g_y - g_{epiy}} \right] \\ &= g_{epiy} \left[ \frac{g_{epiz} - g_x}{g_y - g_{epiy}} \right] + g_{epiz}. \end{aligned} \quad (4)$$

Plotting (4) as a function of the dc collector current ( $I_{epi}$ ) yields information about the influence of the epilayer parameters on the distortion behavior, as has been demonstrated in [9] and [11].

### III. ANALYSIS OF HIGH-FREQUENCY SMALL-SIGNAL TRANSFER

At higher frequencies the base-collector depletion charge  $Q_{tc}$  becomes one of the dominant factors in the ac signal transfer when the transistor enters quasi-saturation (note that the total storage charge  $Q_{bc}$  will only have a significant value when the transistor is already in QS). The ac signal transfer is calculated using the circuit of Fig. 1. The functions involved are now  $I_n(V_{b2e1}, V_{b2c2})$ ,  $I_{epi}(V_{b2c2}, V_{c1b2})$ , and  $Q_{tc}(V_{b2c2}, V_{b2c1})$ . Concentrating on the small-signal transfer we use  $i_n, i_{epi}$  as defined in (1) and (2). The small-signal collector charge  $q_c$  is defined below

$$q_c = c_y v_{b2c2} + c_z v_{b2c1} \quad (5)$$

with

$$C_y = \left. \frac{\delta Q_{tc}}{\delta V_{b2c2}} \right|_{V_{b2c1}} \quad C_z = \left. \frac{\delta Q_{tc}}{\delta V_{b2c1}} \right|_{V_{b2c2}}. \quad (6)$$

The physical significance of  $c_y$  and  $c_z$  is considered in Appendix.

Due to the shorted output ( $v_{b2c1} = v_{b2e1}$ ) we can solve again for the transconductance ( $i_{epi}/v_{b2e1}$ ), and find in place

of (4)

$$\begin{aligned} \left. \frac{i_{epi}}{v_{b2e1}} \right|_{V_{c1e1}} &= (j\omega C_z + g_{epiz} - g_x) \left[ \frac{g_{epiy}}{g_y - (g_{epiy} - j\omega C_y)} \right] \\ &+ g_{epiz} = f_1. \end{aligned} \quad (7)$$

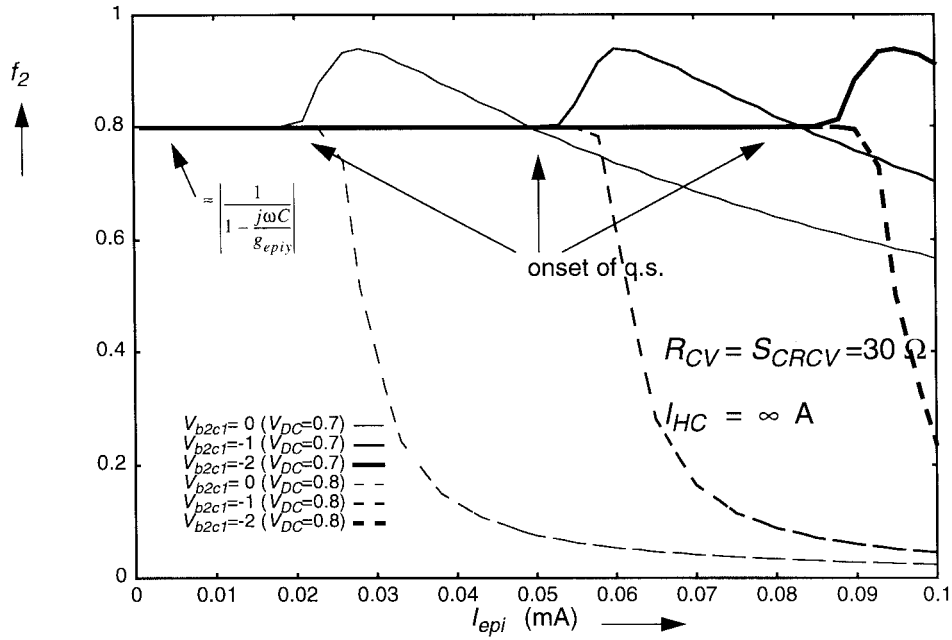
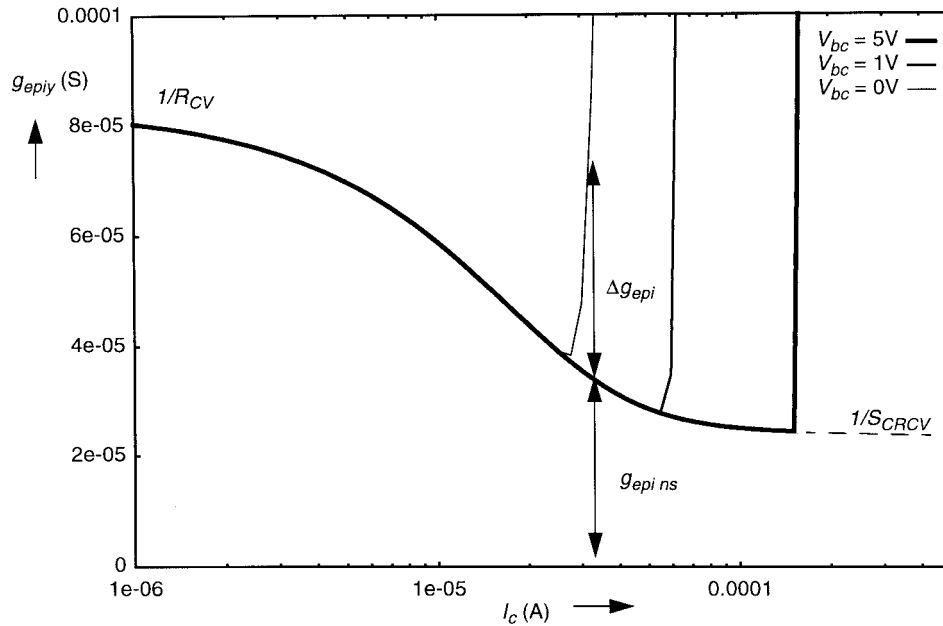
Plotting  $i_{epi}/v_{b2e1}$  as function of the dc collector current for sufficiently high values of  $\omega_{cy}$  we find (given lower values of the built in base collector voltage  $V_{DC}$ ) nonmonotonic behavior at the onset of quasi-saturation (QS) (see Fig. 2). This is caused by the current-dependent behavior of the multiplication term between square brackets in (7); rewriting

$$\left[ \frac{g_{epiy}}{g_y - (g_{epiy} - j\omega C_y)} \right] = \frac{1}{\frac{g_y}{g_{epiy}} - 1 + \frac{j\omega C_y}{g_{epiy}}} = f_2. \quad (8)$$

In Fig. 3,  $f_2$  is plotted as a function of the dc collector current  $I_c (= I_{epi})$ . For reasons of simplicity Figs. 2 and 3 have been computed at 1 GHz with  $c_y$  constant ( $= 4$  pF) and hot-carrier effects omitted. For low values of  $V_{DC}$  (e.g. 0.7 V),  $g_y$  will have a negligible value and there will be a sudden rise when QS sets in ( $V_{b2c2} = V_{DC}$ ). This can be suppressed by taking a higher value of  $V_{DC}$  (e.g. 0.8 V), see Fig. 3, but this will lead to incorrect modeling of distortion [9], [11]. The sudden rise in  $f_2$  is due to the decrease in time constant when  $c_y/g_{epiy}$  falls to a low value, due to the reduction of the epilayer resistance in QS. The same nonmonotonic behavior can be found in the  $f_T(I_c)$  characteristics (e.g. see Fig. 10).

The drop in epilayer resistance is best illustrated by plotting  $g_{epiy}$  as a function of  $I_{epi}$  (see Fig. 4). It starts at a value of  $1/R_{CV}$  and slowly decreases to (hot-carrier effects are now included)  $1/S_{CRCV}$  until at QS the  $g_{epiy}$  sharply rises. For a given  $I_{epi}$ ,  $g_{epiy}$  can be split into a nonsaturated part  $g_{epins}$  and a QS part  $\Delta g_{epi}$ . We define

$$g_{epins} = \left. \frac{\delta I_{epins}}{\delta V_{b2c2}} \right|_{V_{b2c1}} \quad \Delta g_{epi} = \left. \frac{\delta \Delta I_{epi}}{\delta V_{b2c2}} \right|_{V_{b2c1}} \quad (9)$$


 Fig. 3. Function ( $f_2$ ) plotted as function of the dc current.

 Fig. 4. The epilayer conductance  $g_{epiy}$  plotted as a function of the collector current, calculated with the modified Mextram model.  $V_{bc}$  is the external base-collector voltage =  $V_{b2c1}$  + additional voltage drops.

with

$$\Delta I_{epi} = I_{epi} - I_{epins}. \quad (10)$$

The equations for  $I_{epi}$  are given in [11], the nonsaturation current  $I_{epins}$  is given by

$$I_{epins} = \frac{I_{HC} S_{CR} C_{CV} V_{c1c2} + V_{c1c2}^2}{S_{CR} C_{CV} (I_{HC} R_{CV} + V_{c1c2})}. \quad (11)$$

Complete implementation of the Mextram model is described in [7]. To ensure monotonic behavior we add an extra

capacitance  $\Delta C$  in such a way that the time constant

$$\begin{aligned} \frac{c_y}{g_{epiy}} &\Rightarrow \frac{c_y + \Delta C}{g_{epiy}} = \frac{c_y + \Delta C}{g_{epins} + \Delta g_{epi}} \\ &= \frac{c_y}{g_{epins}} \left( 1 + \frac{\Delta C}{c_y} \right) \\ &= \frac{c_y}{g_{epins}} \left( 1 + \frac{\Delta g_{epi}}{g_{epins}} \right) \end{aligned} \quad (12)$$

behaves properly. This is the case if

$$\left( \frac{\Delta C}{c_y} = \frac{\Delta g_{epi}}{g_{epins}} \right) \Rightarrow \Delta C = \frac{\Delta g_{epi}}{g_{epins}} c_y. \quad (13)$$

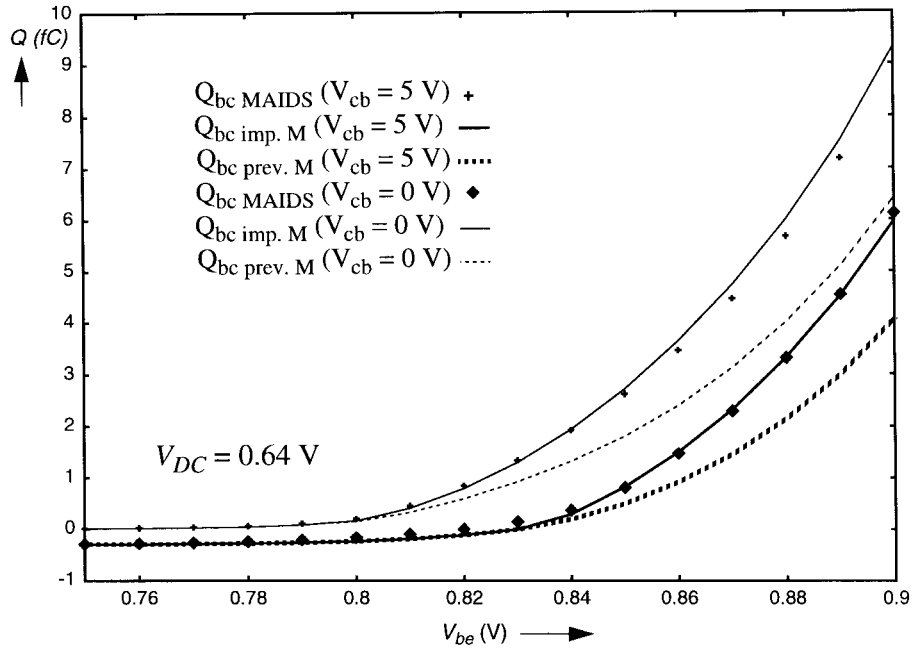


Fig. 5. The total base-collector charge using; MAIDS, the improved Mextram (with  $\Delta Q_c$ ) and the previous version of Mextram (without  $\Delta Q_c$ ).

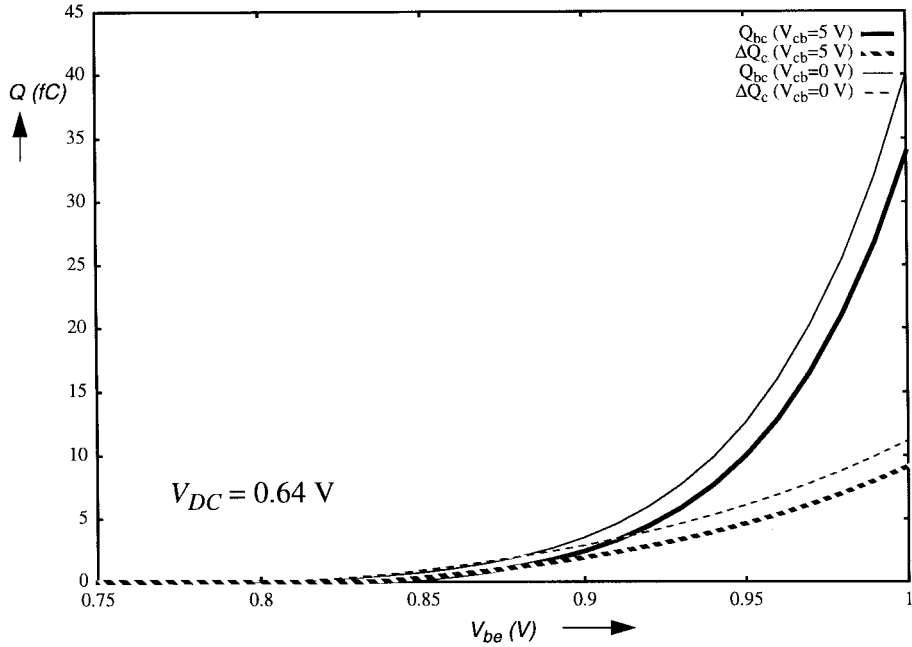


Fig. 6. The charge functions  $\Delta Q_c$  and  $Q_{BC}$  obtained with the modified Mextram model.

The required extra charge  $\Delta Q_c$ , ensuring monotonic Early voltages and  $f_T(I_c)$  behavior is now given by

$$\Delta Q_c(V_{b2c2}, V_{b2c1}) = \int_0^{V_{b2c2}} c_y \frac{\Delta g_{\text{epi}}}{g_{\text{epins}}} \Big|_{V_{b2c2}} dV_{b2c2}. \quad (14)$$

Finally, in order to facilitate computability, the integral in (14) can be simplified into an analytical expression by noting that  $c_y(V_{b2c2}, V_{b2c1})$  and  $g_{\text{epins}}(V_{b2c2}, V_{b2c1})$  are slowly varying functions compared to  $\Delta g_{\text{epi}}(V_{b2c2}, V_{b2c1})$ , so

$$\Delta Q_c(V_{b2c2}, V_{b2c1}) \approx \frac{c_y}{g_{\text{epins}}} \int_0^{V_{b2c2}} \Delta g_{\text{epi}} dV_{b2c2} \quad (15)$$

which is equal to

$$\Delta Q_c(V_{b2c2}, V_{b2c1}) = \frac{c_y}{g_{\text{epins}}} [\Delta I_{\text{epi}}(V_{b2c2}, V_{b2c1}) - \Delta I_{\text{epi}}(0, V_{b2c1})]. \quad (16)$$

The maximum difference between the  $\Delta Q_c$ 's from (14) and (16) is about 10%. Note, that with the aid of (14) c.q. (16) the charge function  $\Delta Q_c$  can be calculated based on the functional description of the base-collector depletion capacitance ( $c_y$ ) and the epilayer current ( $I_{\text{epi}}$ ). Using this formulation,  $\Delta Q_c$  is not restricted to a specific epilayer model and can be calculated based on one of the models of [1], [3], [4], [7].

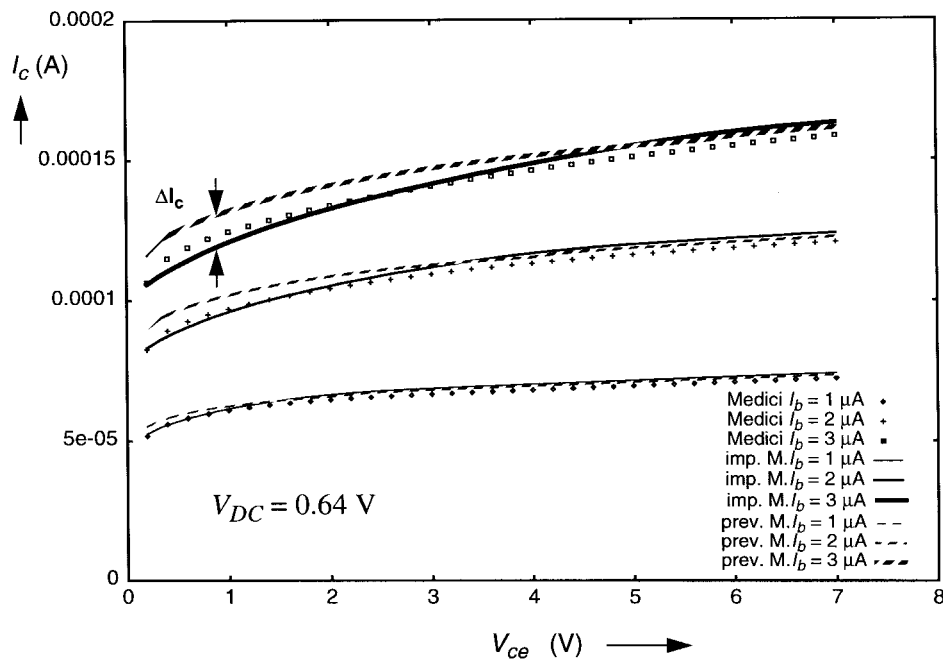


Fig. 7.  $I_c(V_{ce})$  characteristic using the previous and improved Mextram model, compared to MEDICI.

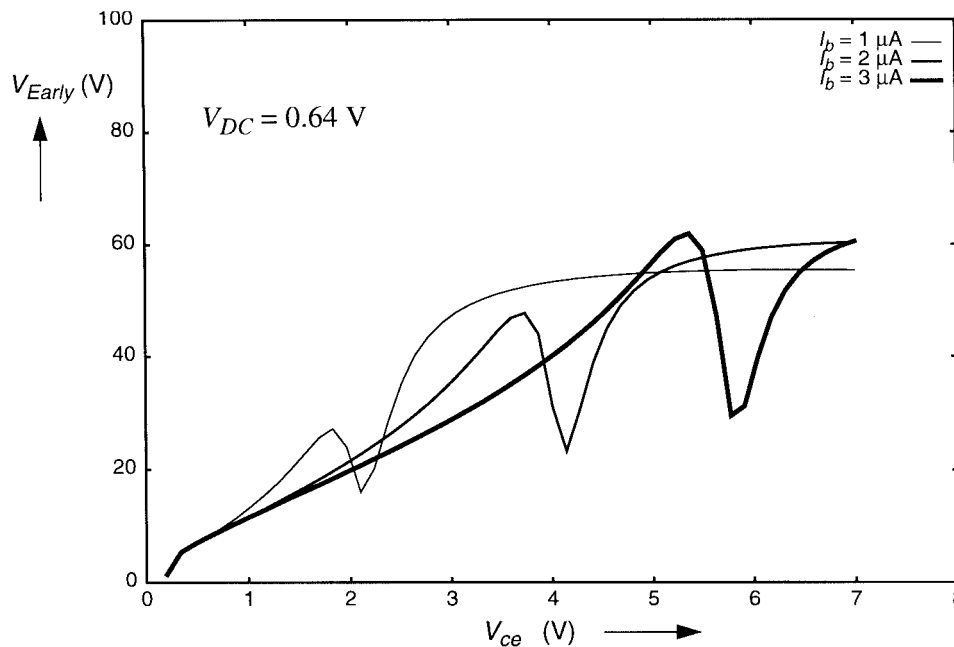


Fig. 8. Early-voltage characteristic using the previous Mextram model.

IV. THE PHYSICAL MEANING OF  $\Delta Q_c$

Physically speaking  $\Delta Q_c$  represents mobile carrier charge stored in the space charge region surrounding the base-collector junction at high current levels. Verification of  $\Delta Q_c$  by comparing the outcome of (14) or (16) with results obtained from device simulations can provide physical substantiation for the theory developed. The complication in such a comparison is that device simulations tend to lump together all the charge contributions. In order to calculate the base-collector charge using a device simulator one should therefore split the total charge into base-emitter and base-

collector related components. Bias-, geometry-, and doping profile-dependent integration boundaries must be specified. This, combined with the fact that the charge components of interest are relatively small, led to the following strategy.

We simplify the boundary problem by using an one-dimensional (1-D) device structure and apply base charge partitioning to split the base-emitter and base-collector charges over the junctions [2]. The method used for the base charge partitioning has been proposed in [2] and is in conformance with the base doping profile and the current drive level. The function for the total base-collector charge (including the

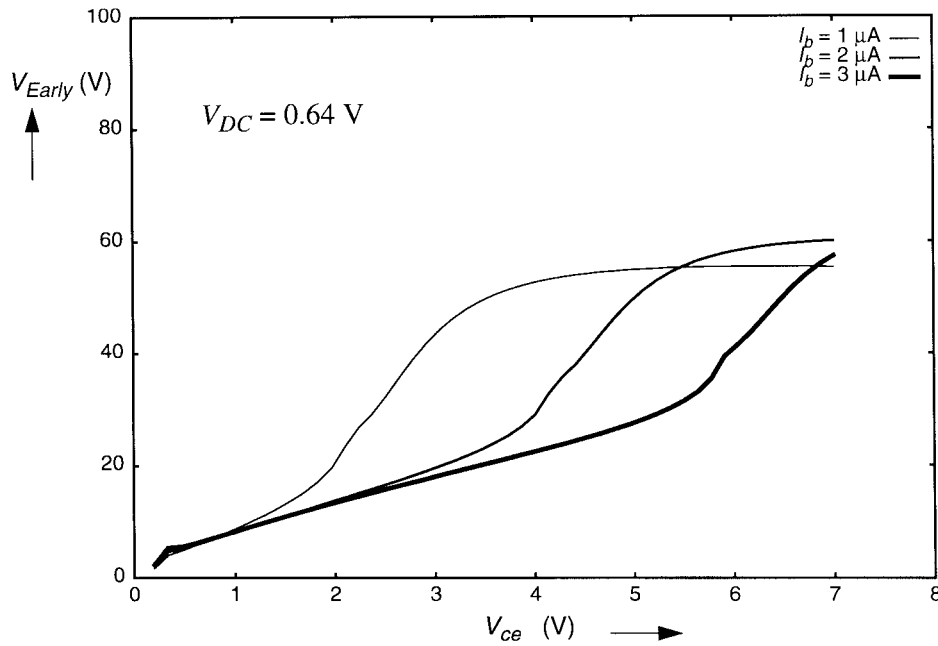


Fig. 9. Early-voltage characteristic using the improved Mextram model.

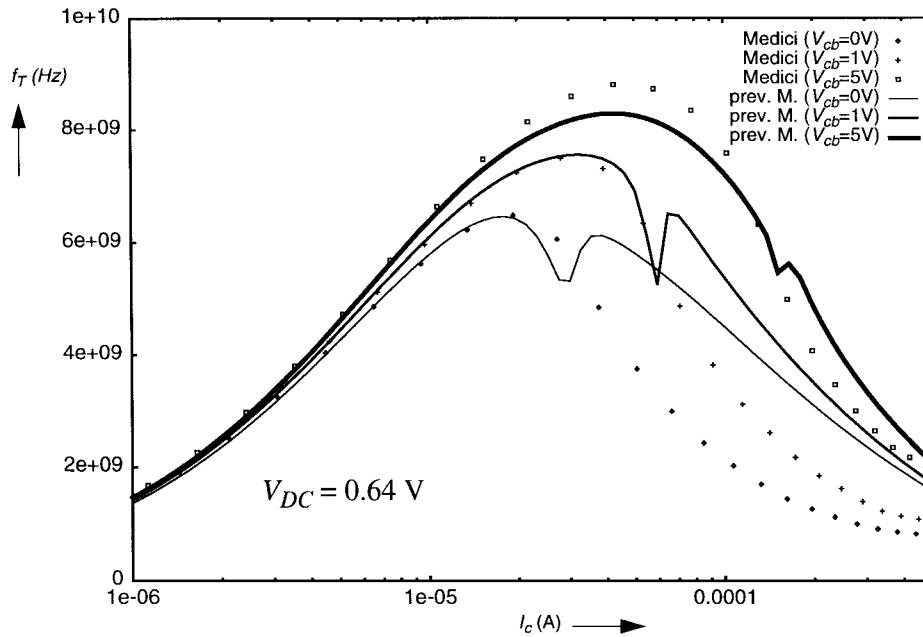


Fig. 10.  $f_T(I_c)$  calculated using MEDICI for a device of 1 mm length and the previous version of Mextram.

epilayer charge storage)  $Q_{bctot}$  is then given by

$$Q_{bctot} = \int_E^C qnA \cdot FC(\eta) d\eta \quad (17)$$

in which  $FC$  is a weighting function to split-off the base-collector charge. Using this method we are now able to compare the total charge storage in the collector with the charge components given by our compact model.

### V. RESULTS

Calculations based on the original as well as the modified Mextram model are compared with data obtained using the

1-D device simulator MAIDS [12] and the two-dimensional (2-D) device simulator MEDICI [6]. The transistor structure used in these simulations as described in [8], is based on SIMS measurements and is representative of present day bipolar transistor technology. The simulations with the Mextram model are performed using the Microwave Design System (MDS) of Hewlett Packard.

Physical support for the charge  $\Delta Q_c$  can be found in Fig. 5. In this figure the total base-collector charge is plotted using the 1-D device simulator MAIDS, the modified Mextram model (with  $\Delta Q_c$ ), and the previous version of Mextram (without  $\Delta Q_c$ ). We note that the total charge calculated with

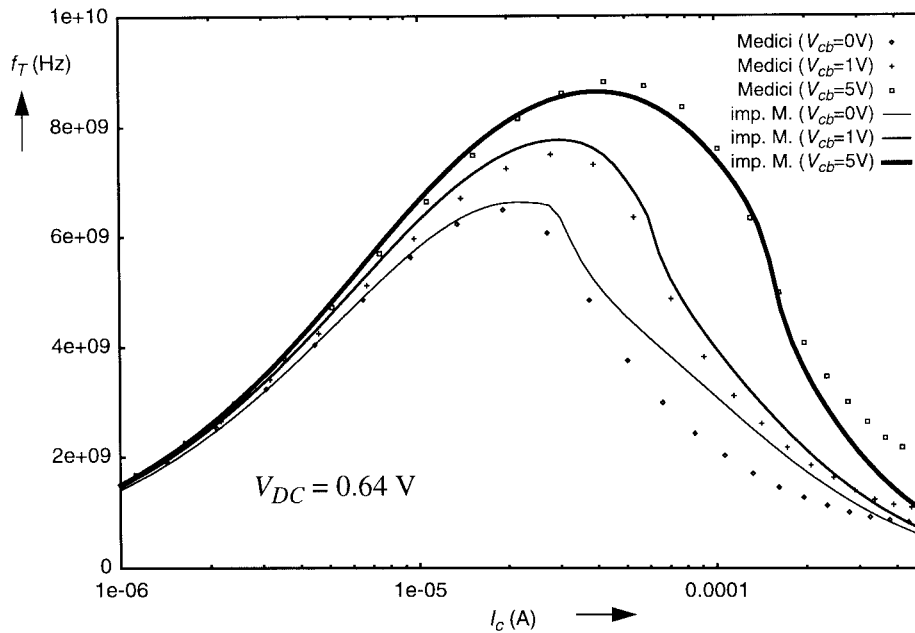


Fig. 11. The  $f_T(I_c)$  characteristic calculated with MEDICI and the improved Mextram model.

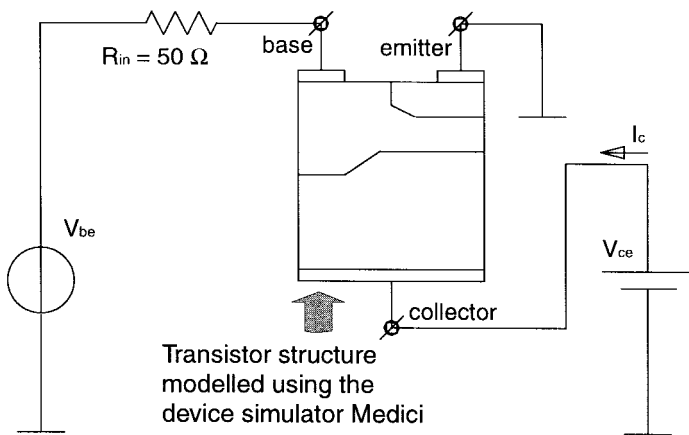


Fig. 12. Configuration used for the distortion calculation with the program MEDICI.

MAIDS fits well with the modified version of Mextram, with the previous version of Mextram exhibiting divergent behavior with increasing  $V_{be}$ . The additional charge  $\Delta Q_c$  can, depending on the value of  $V_{DC}$  ( $= 0.64$  V), to some extent dominate the base-collector diffusion charge ( $Q_{bc\text{tot}}$ ) at the onset of QS. Deeper in saturation,  $Q_{bc}$  will become dominant over  $\Delta Q_c$ . This is illustrated in Fig. 6 where  $\Delta Q_c$  and  $Q_{bc}$  are plotted as function of the dc bias. We conclude, based on the results of Figs. 5 and 6, that with respect to the base-collector charge the modified Mextram model (with  $\Delta Q_c$ ) is a better representation of the physical device than the previous version of Mextram (without  $\Delta Q_c$ ). Alternatively, a comparable fit for the base-collector charge can be found by using the previous version of Mextram with some manipulation of the epilayer parameters (e.g. enlarging  $V_{DC}$ ). This does, however, have serious consequences for other device characteristics. By way of illustration, the 2-D device simulator MEDICI is now used to generate realistic device data. In the following discussion,

one parameter set will be used which is optimized for the modified Mextram model. Figs. 7–13 all refer to the same 2-D transistor structure with the following epilayer parameters.

$R_{CV}$	$1.20 \cdot 10^4 \Omega$
$S_{CRCV}$	$4.17 \cdot 10^4 \Omega$
$I_{HC}$	$3.93 \cdot 10^{-5} \text{ A}$
$V_{DC}$	$0.64 \text{ V}$
SFH	0.53.

Part of the base-collector charge,  $\Delta Q_c$  is also present in the total majority base charge ( $Q_b$ ) which controls the main current  $I_n$ . This leads, when comparing the new with the previous version of Mextram, to some reduction of the collector current ( $\Delta I_c$ ) in the QS region for the same parameter set (see Fig. 7). Using the improved model, monotonic behavior of the Early voltages is now ensured, as is apparent when comparing Fig. 8 with Fig. 9.

At high frequencies, the addition of  $\Delta Q_c$  prevents a drop in the collector charge time ( $c_y/g_{epiy}$ ) leading consequently to monotonic  $f_T(I_c)$  behavior (see Figs. 10 and 11). This results in improved modeling of distortion as is illustrated in Fig. 13. In this figure the second-order distortion component in the collector current is shown for a 10 mV, 1 GHz input signal with the collector-base voltage maintained at 1 V. The circuit topology used for this simulation is given in Fig. 12. The nonmonotonic  $f_T(I_c)$  behavior of the previous Mextram version (Fig. 10) can also be remedied by choosing  $V_{DC} = 0.69$  V. In Fig. 14 it may be seen that fitting the  $f_T(I_c)$  characteristic by increasing the built-in base-collector voltage  $V_{DC}$  leads to incorrect modeling of distortion in the QS region.

## VI. CONCLUSIONS

Without requiring any additional parameter the charge function  $\Delta Q_c$  can be calculated based on the functional description of the base-collector depletion capacitance ( $c_y$ ) and the epi-

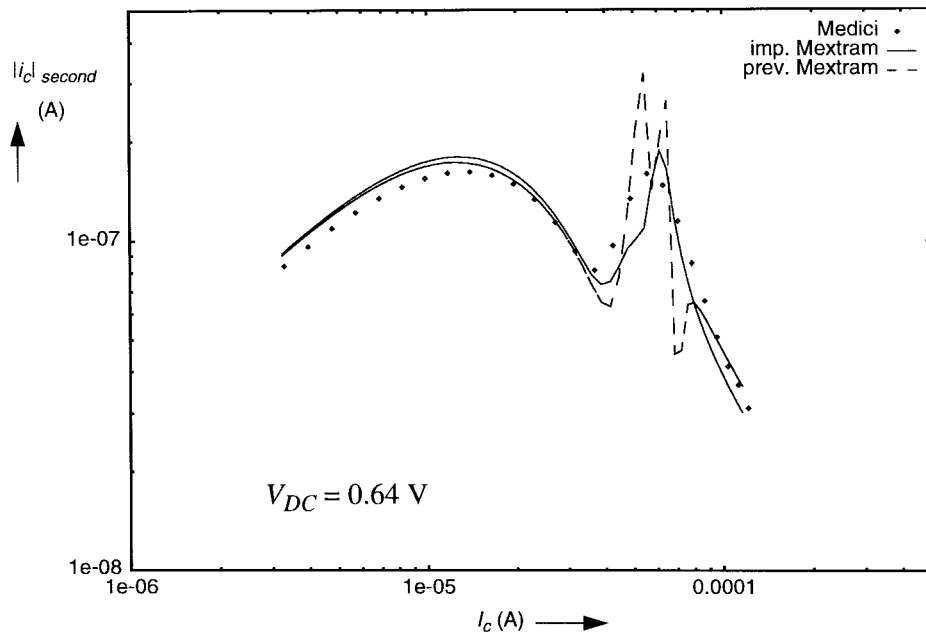


Fig. 13. The magnitude of the second-order component of the collector current.

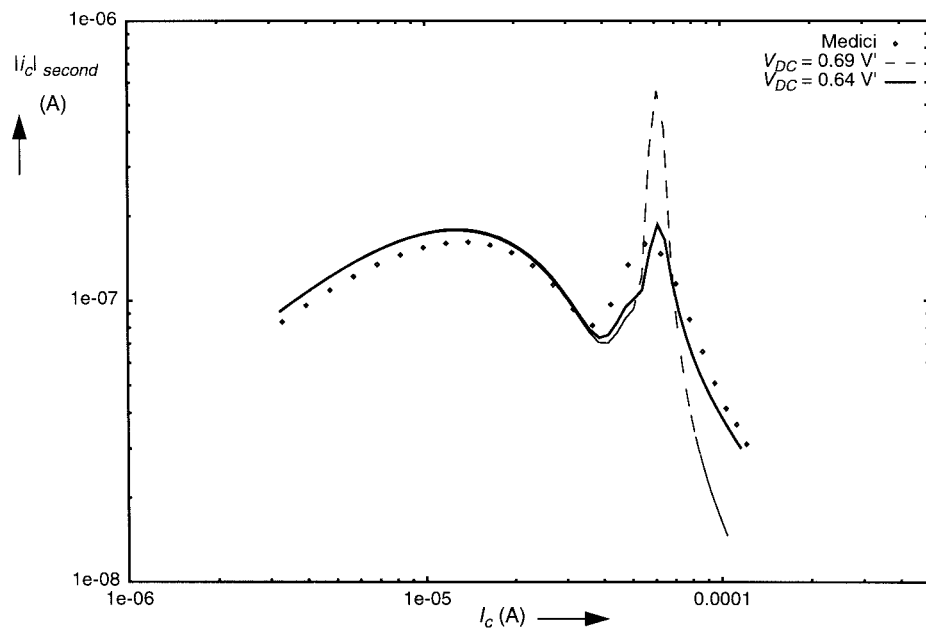


Fig. 14. The magnitude of the second-order component of the collector current compared to MEDICI using the improved Mextram model for two different values of  $V_{DC}$  (0.64 V and 0.69 V).

layer current ( $I_{epi}$ ). Using this formulation,  $\Delta Q_c$  is not restricted to a specific epilayer model and can be calculated based on one of the epilayer models of [1], [3], [4], [7]. Incorporation of  $\Delta Q_c$  in a compact bipolar model leads to greater flexibility in the modeling of the high current region of the transistor with lightly-doped epilayer. This combined with monotonic behavior at the onset of quasi-saturation yields, even for low values of  $V_{DC}$ , a significant improvement in the modeling of the Early voltages, the  $f_T(I_c)$  fall-off and the HF distortion behavior.

Modification of the Mextram model by adding this extra charge component has led to improved modeling of the distort-

ion behavior at high frequencies when the transistor operation extends into the quasi-saturation region. Implementation of Mextram in Hewlett Packard's simulator package MDS has resulted in a very powerful combination, which facilitates the use of harmonic balance techniques in strongly nonlinear bipolar circuit design.

#### APPENDIX THE PHYSICAL MEANING OF $c_y$ AND $c_z$

In nonquasi-saturation the small-signal value of the collector charge as a function of  $v_{b2c2}$  and  $i_{epins}$  [see (9) and (11)]

becomes

$$q_C = c_T \cdot v_{b2c2} + \tau \cdot i_{epins} = (c_T + \tau \cdot g_{epins})v_{b2c2} - (\tau \cdot g_{epins} \cdot v_{b2c1}). \quad (18)$$

With  $i_{epins}$  given by

$$i_{epins} = (v_{b2c2} - v_{b2c1})g_{epins} \quad (19)$$

it is easily shown that

$$c_y = c_T + \tau \cdot g_{epins} \quad \text{and} \quad c_z = -\tau \cdot g_{epins}. \quad (20)$$

Here,  $c_T (= c_y + c_z)$  represents the collector depletion capacitance and  $\tau (= dQ_c/dI_{epi}$  at constant  $V_{b2c2}$ ) is the delay of the mobile charge in the depletion region.

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